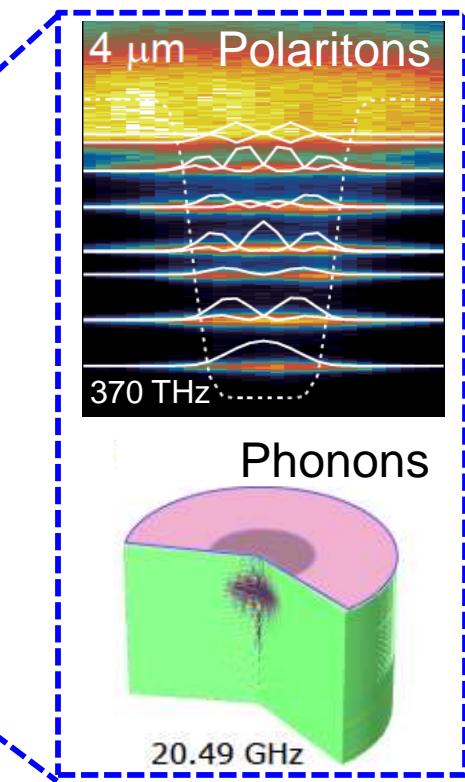
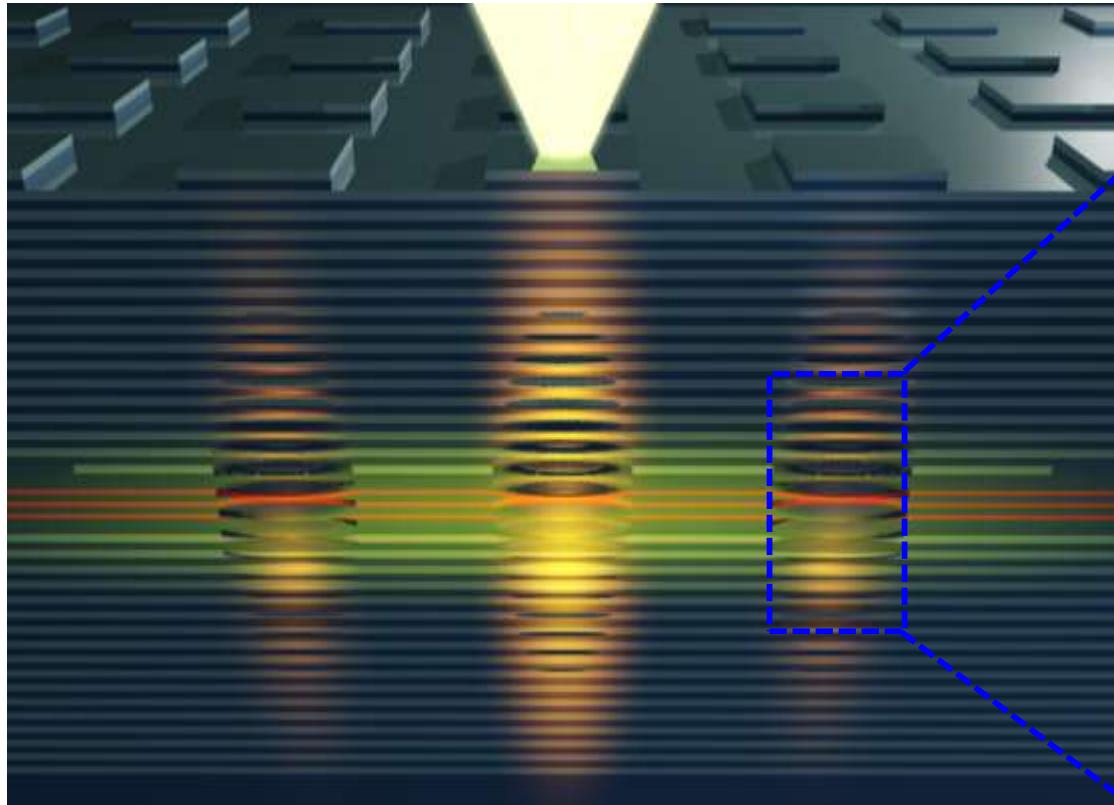
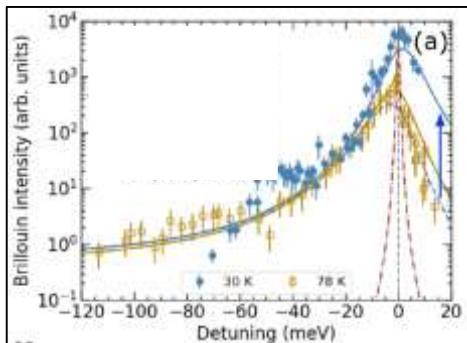


Cavity Optomechanics with Polariton Fluids

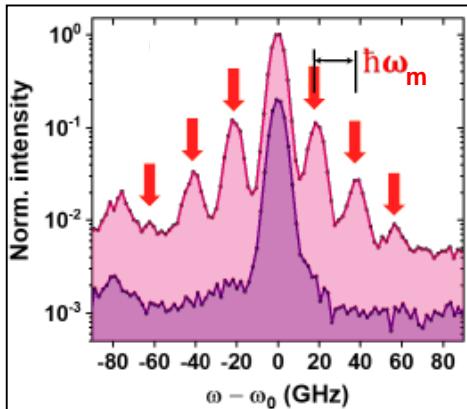
Alex Fainstein



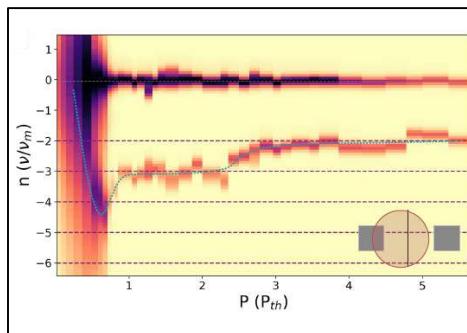
Index



- **Day #1: cavity polaritons, resonant exciton mediated optomechanical interaction**



- **Day #2: self-oscillation, the optomechanical parametric oscillator**

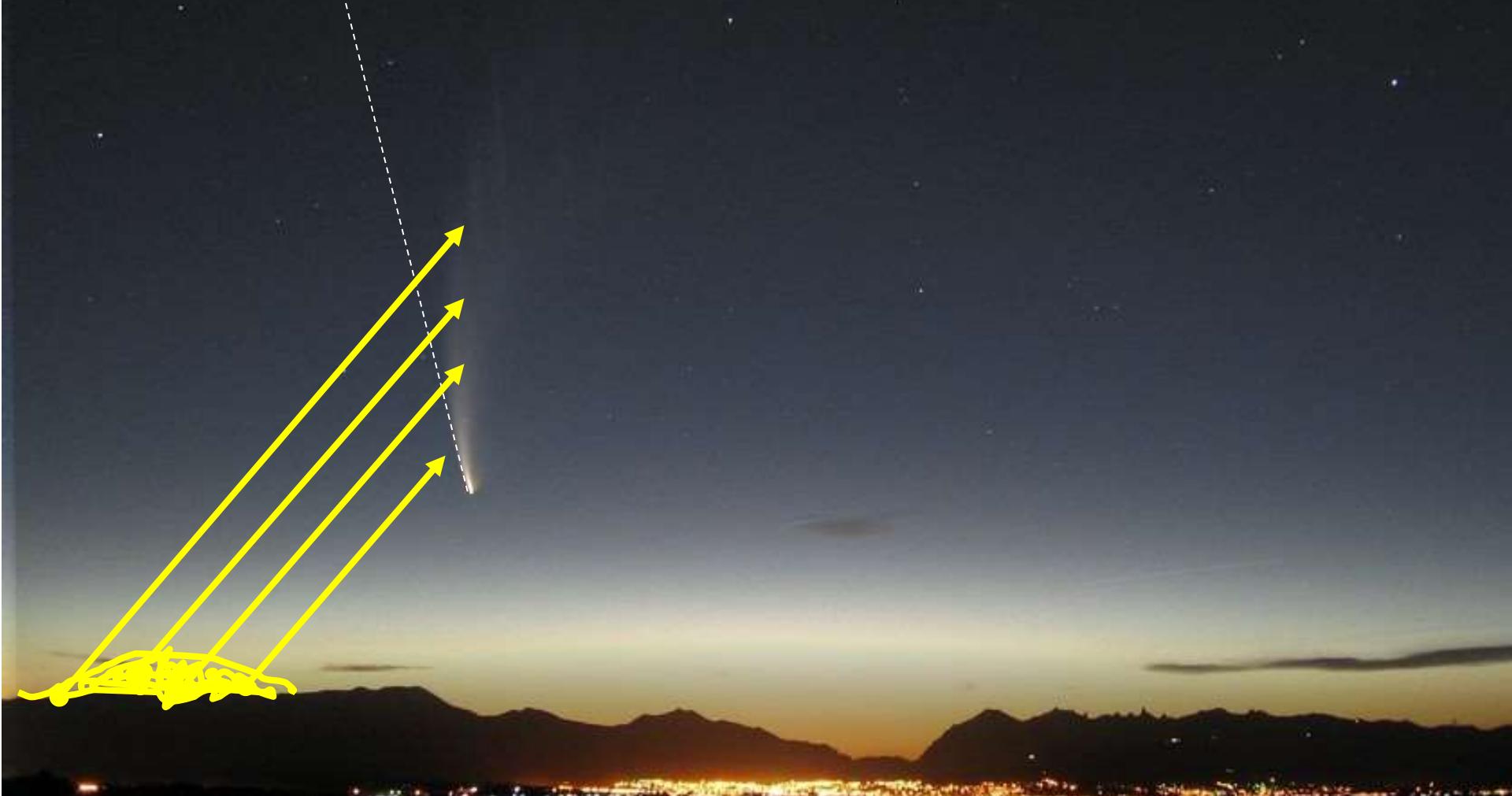


- **Day #3: synchronization, OM asynchronous locking of polariton states**



Bonus: Friday talk, time crystals

How light exerts force on matter *(but does matter act-back on light?)*



Synchronization



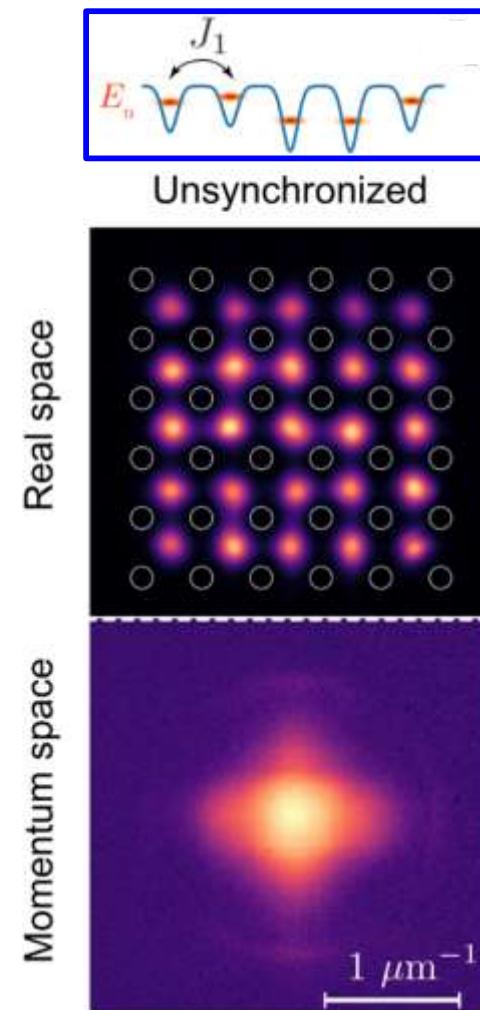
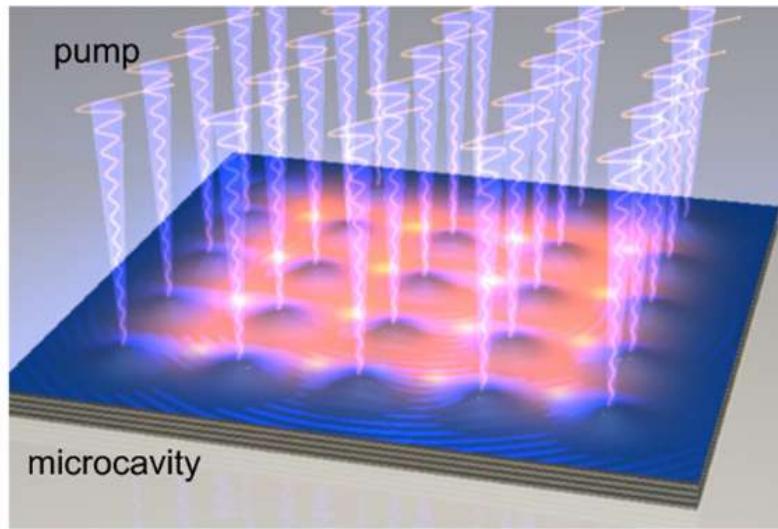
Wondershare
Filmora

Creado con

Plan gratuito Wondershare Filmora

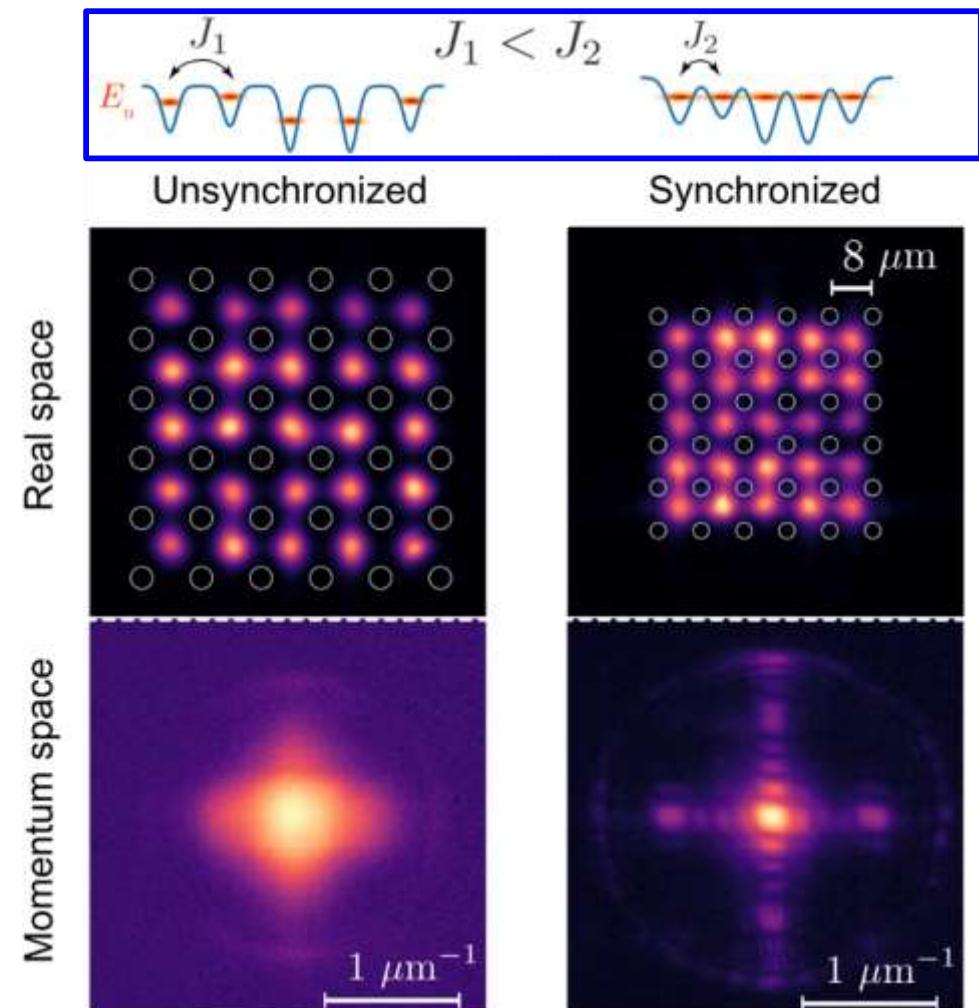
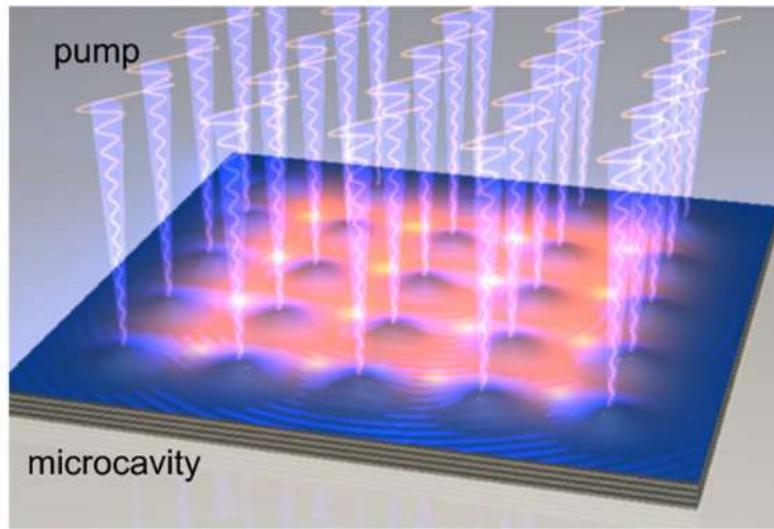
Synchronization of polariton condensates

Arrays of condensates



Synchronization of polariton condensates

Arrays of condensates



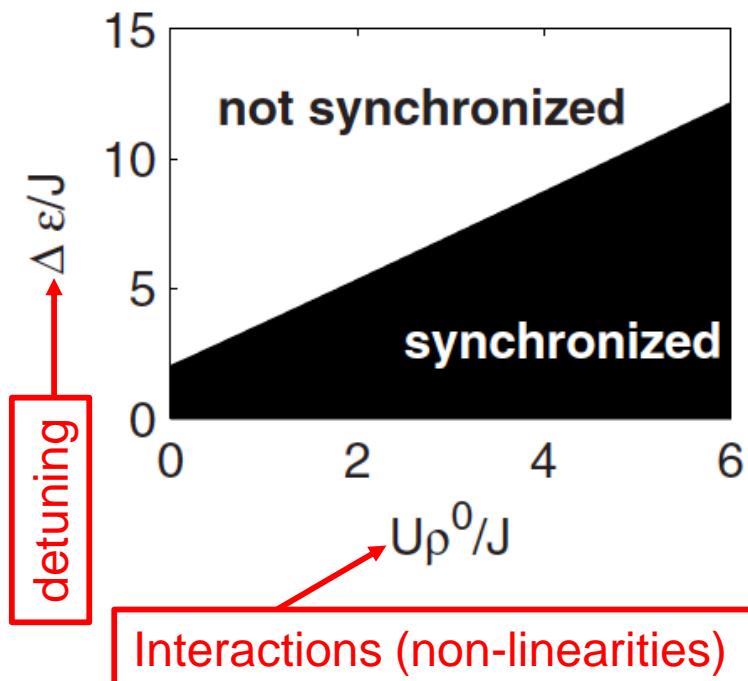
Synchronization of polariton condensates

PHYSICAL REVIEW B 77, 121302(R) (2008)

Synchronized and desynchronized phases of coupled nonequilibrium exciton-polariton condensates

Michiel Wouters

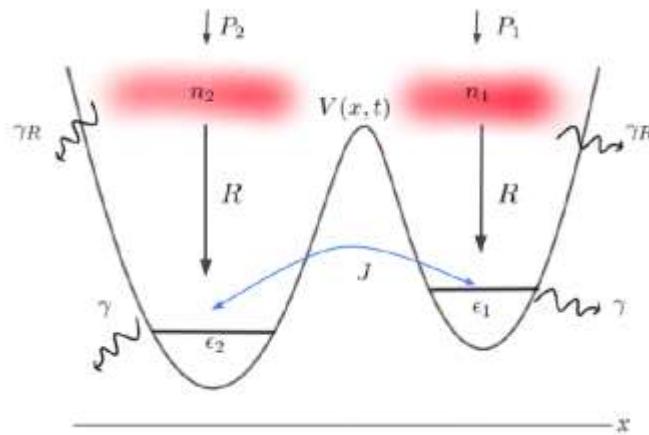
+ Paul R. Eastham, PRB 78, 035319 (2008)



INGREDIENTS:

- Two coupled condensates
- Detuned by $\Delta\epsilon$
- Coupled by J
- With interactions U
- And with dissipation!!

Synchronization of polariton condensates



$$i\hbar\dot{\psi}_j = (\epsilon_j + U_j|\psi_j|^2 + U_j^R n_j)\psi_j - J\psi_{3-j} + \frac{i\hbar}{2}(Rn_j - \gamma)\psi_j,$$

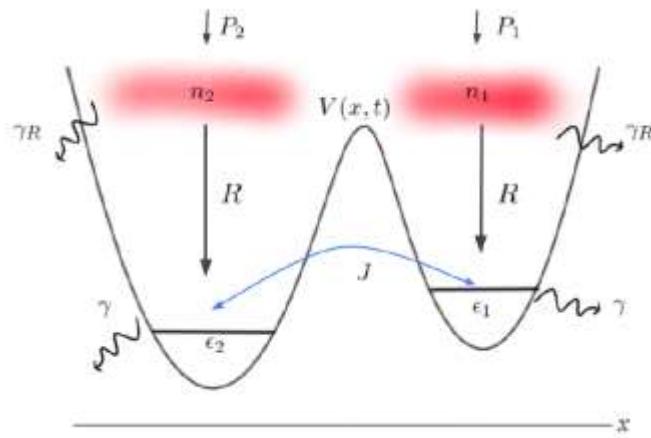
TWO CONDENSATES

$$\dot{n}_j = P_j - \gamma_R n_j - R|\psi_j|^2 n_j.$$

RESERVOIR

J is constant

Synchronization of polariton condensates



$$i\hbar\dot{\psi}_j = (\epsilon_j + U_j|\psi_j|^2 + U_j^R n_j)\psi_j - J\psi_{3-j} + \frac{i\hbar}{2}(Rn_j - \gamma)\psi_j,$$

$$\dot{n}_j = P_j - \gamma_R n_j - R|\psi_j|^2 n_j.$$

J is constant

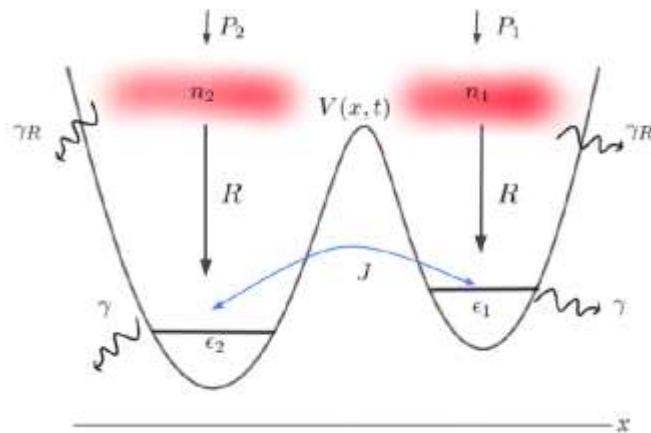


$$\psi_j = \sqrt{N_j} e^{i\theta_j}$$

$$z(t) = \frac{N_1(t) - N_2(t)}{N_0}$$

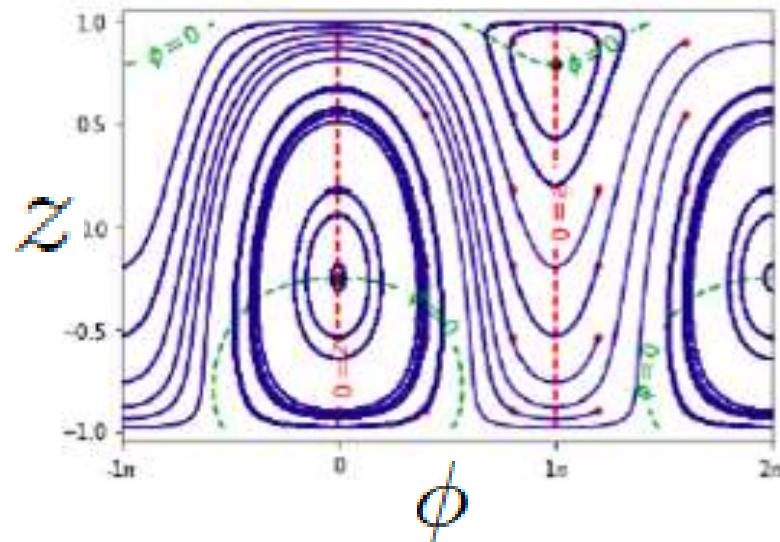
$$\phi(t) = \theta_1(t) - \theta_2(t)$$

The model: WITHOUT dissipation



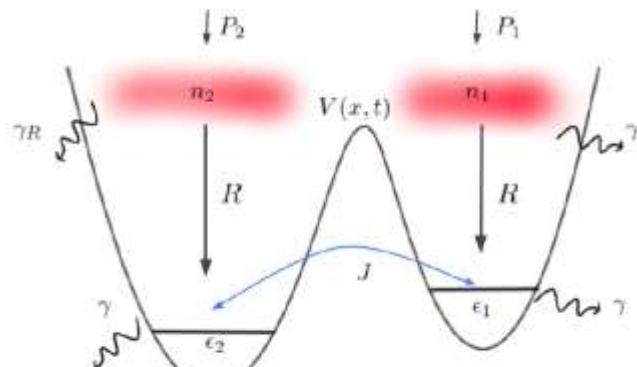
$$z(t) = \frac{N_1(t) - N_2(t)}{N_0}$$

$$\phi(t) = \theta_1(t) - \theta_2(t)$$



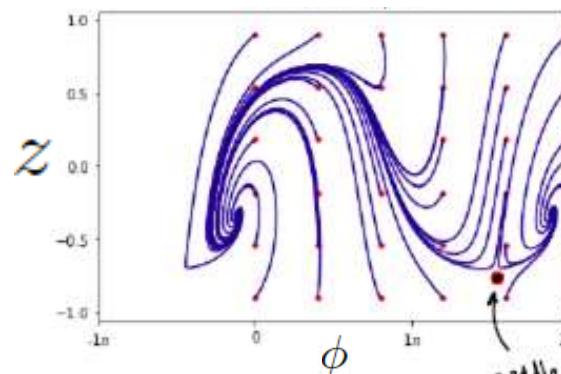
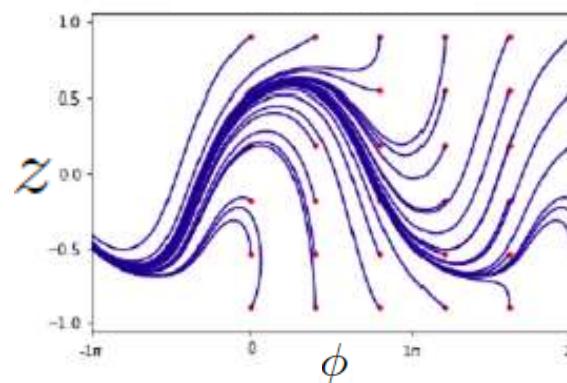
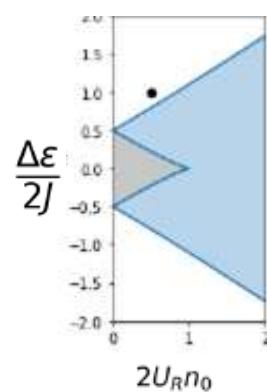
RABI &
JOSEPHSON
OSCILLATIONS
+
SELF-TRAPPING

The model: WITH dissipation



$$z(t) = \frac{N_1(t) - N_2(t)}{N_0}$$

$$\phi(t) = \theta_1(t) - \theta_2(t)$$

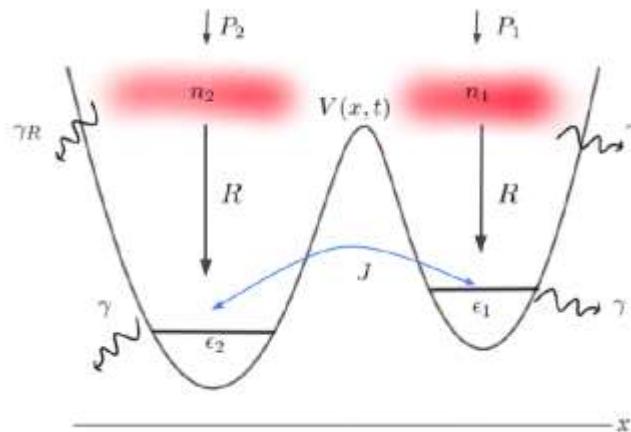


detuning

Interactions

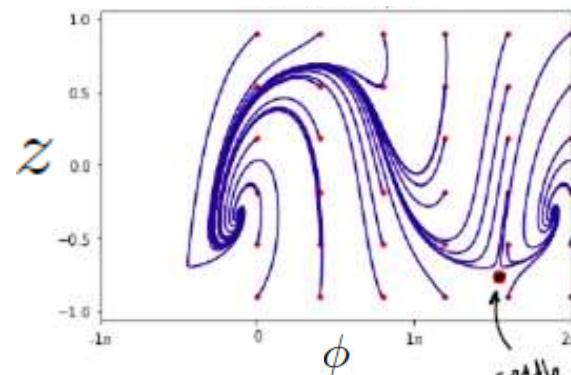
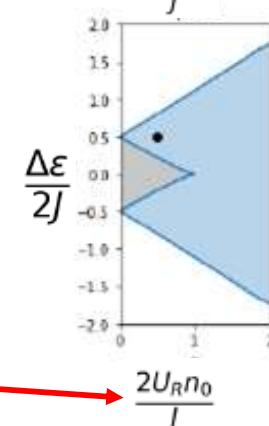
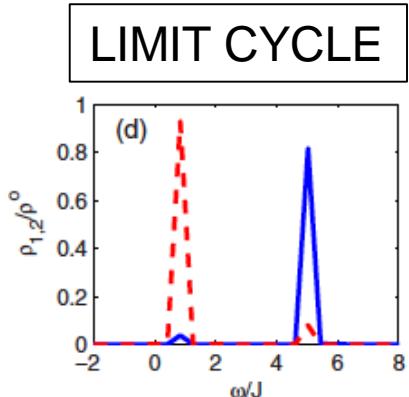
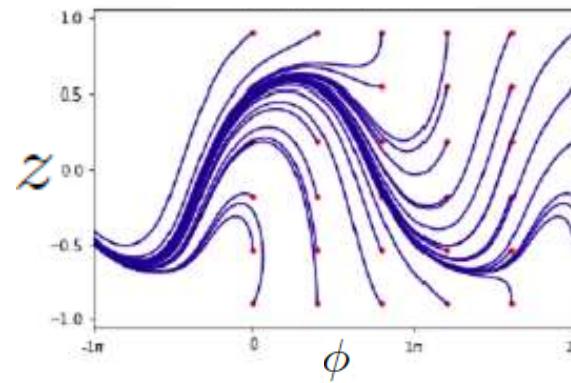
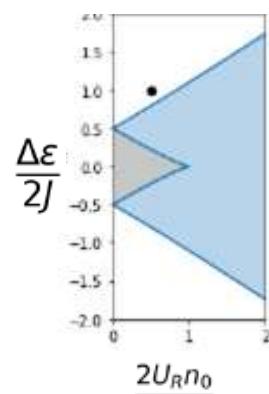
$\frac{2U_R n_0}{J}$

The model: WITH dissipation



$$z(t) = \frac{N_1(t) - N_2(t)}{N_0}$$

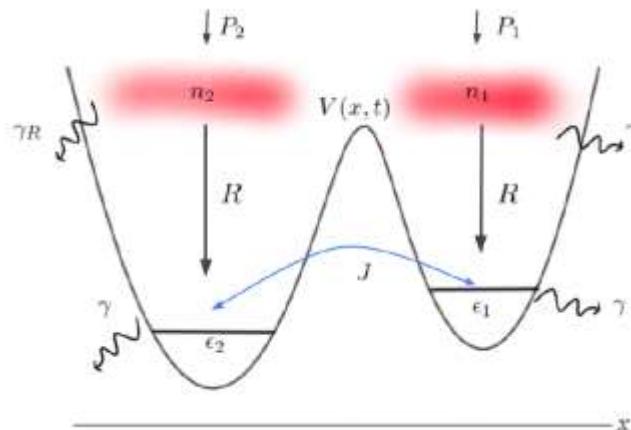
$$\phi(t) = \theta_1(t) - \theta_2(t)$$



detuning

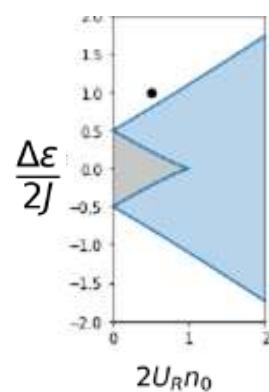
Interactions

The model: WITH dissipation

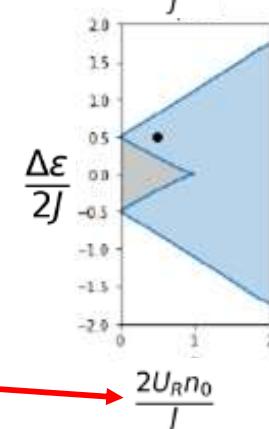


$$z(t) = \frac{N_1(t) - N_2(t)}{N_0}$$

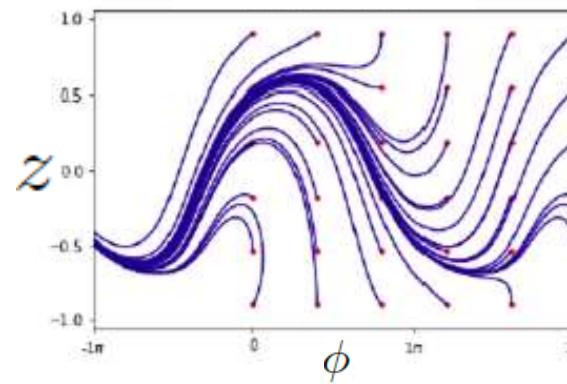
$$\phi(t) = \theta_1(t) - \theta_2(t)$$



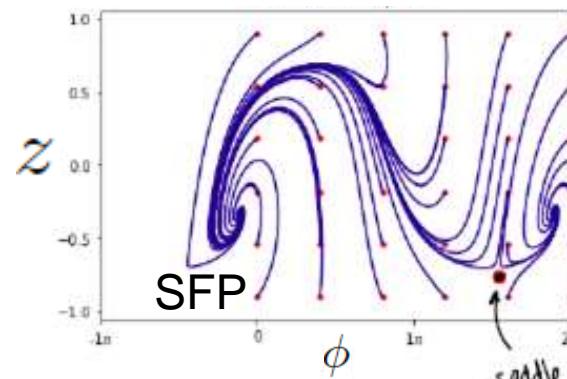
detuning



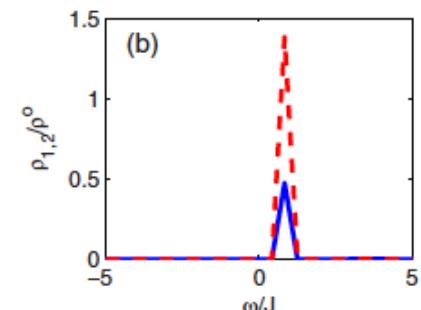
Interactions



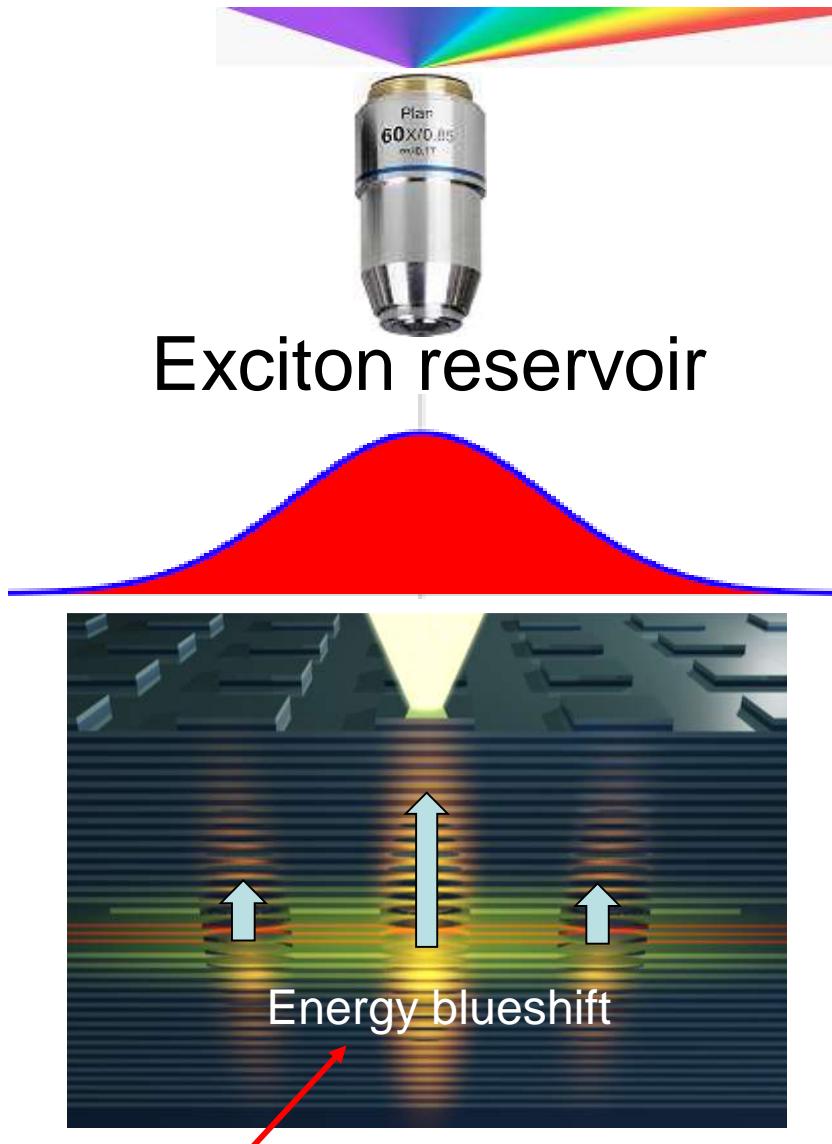
LIMIT CYCLE



SYNCHRONIZATION

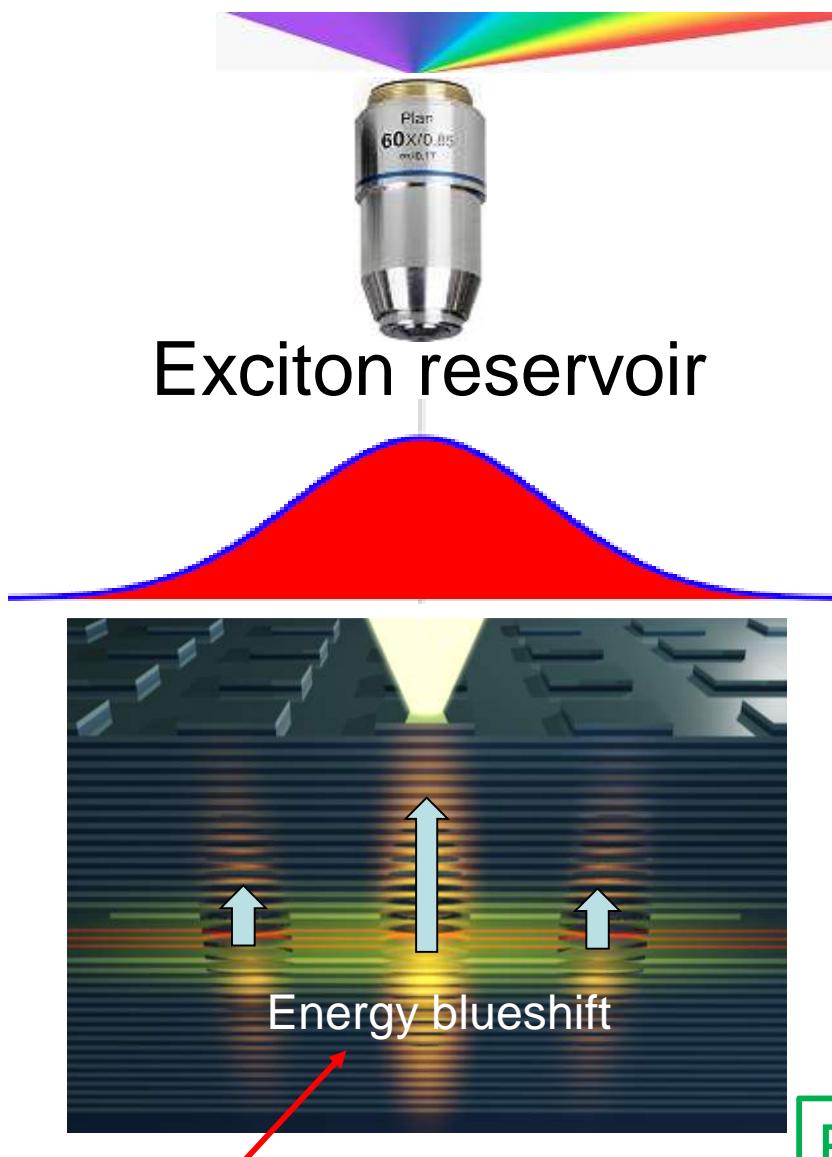


Synchronization: our experiments

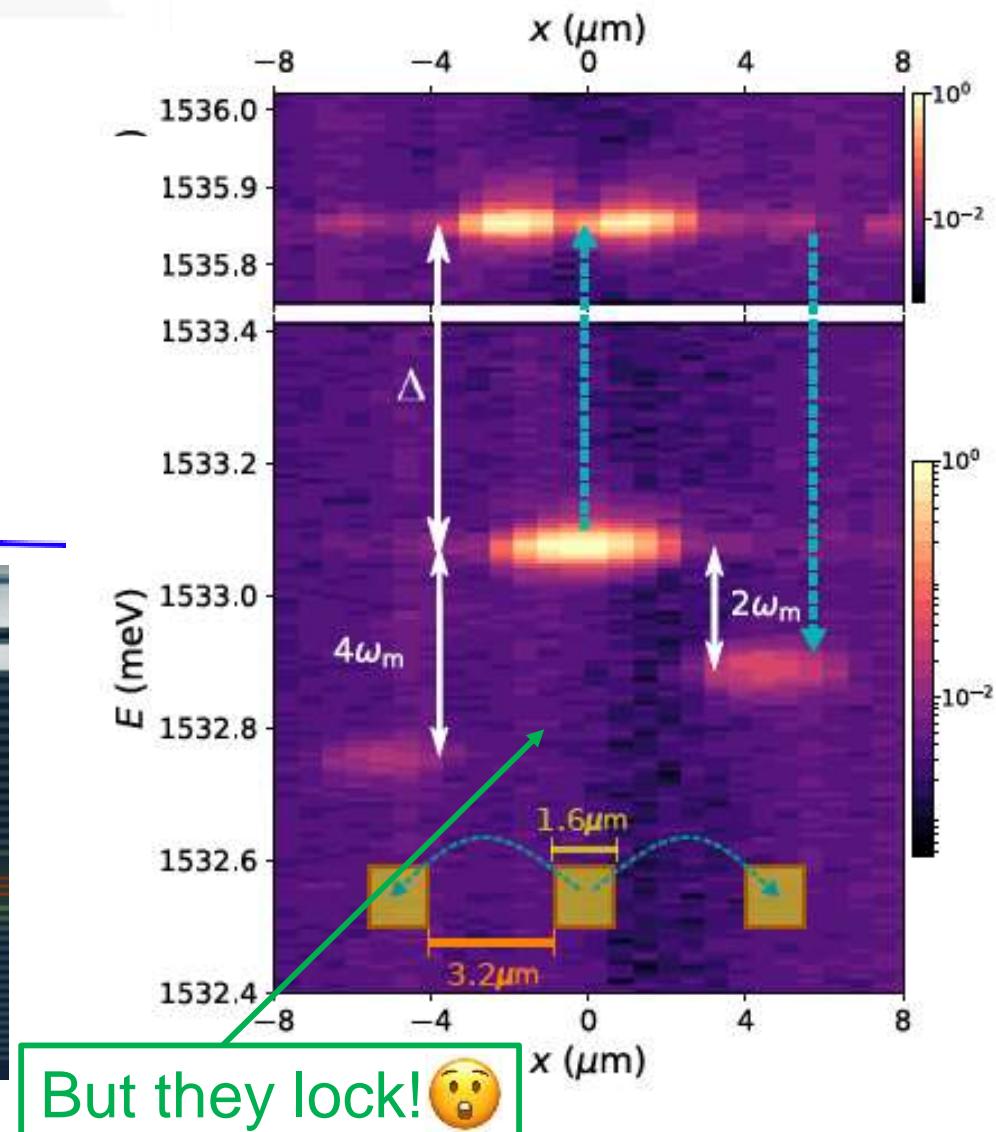


We strongly detune the traps

Asynchronous locking

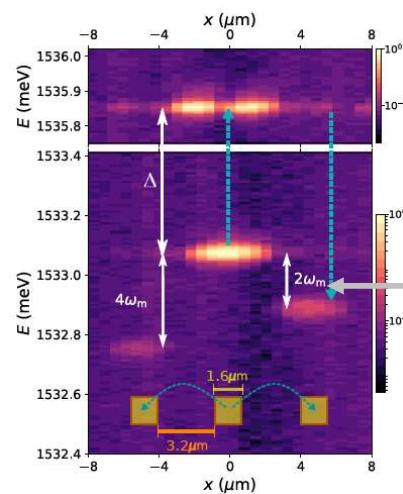
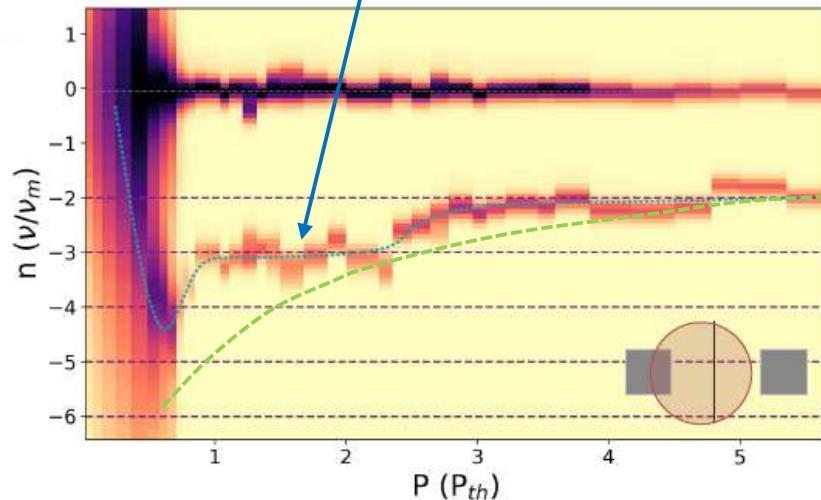


We strongly detune the traps



Asynchronous locking: power dependence

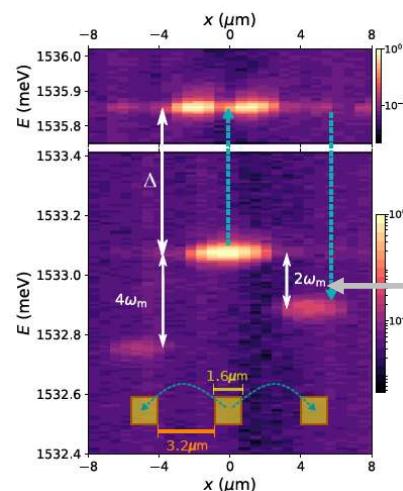
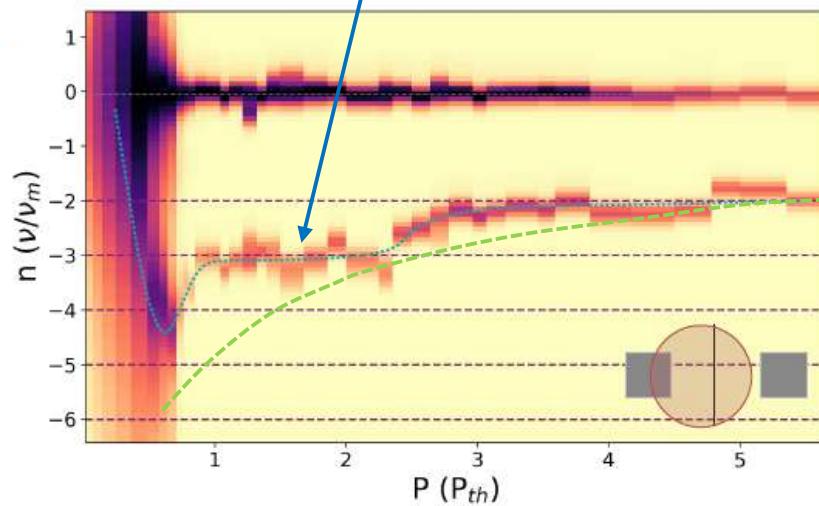
Steps (locking) at integer numbers n of ω_m !!



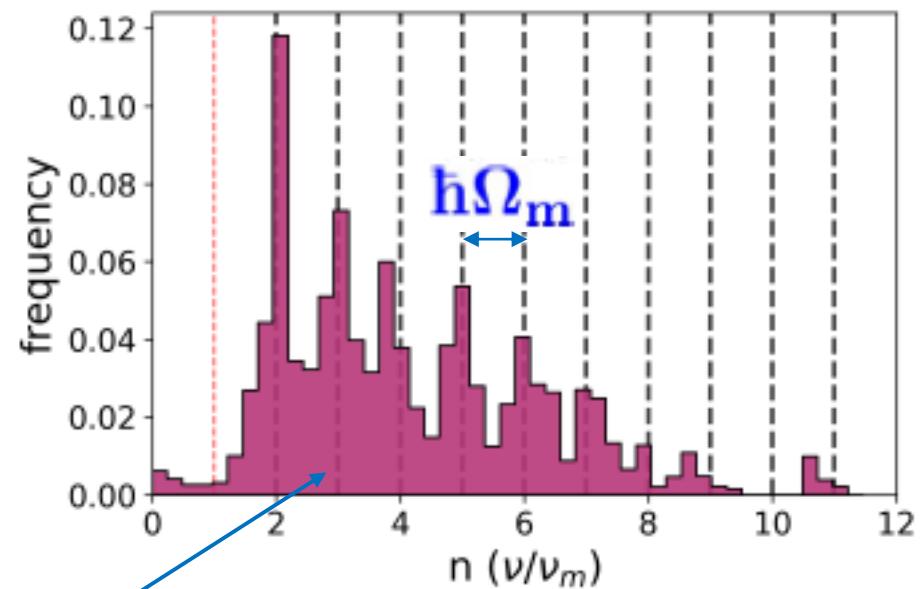
Laser power dependence
of detuning

Asynchronous locking: power dependence

Steps (locking) at integer numbers n of ω_m !!

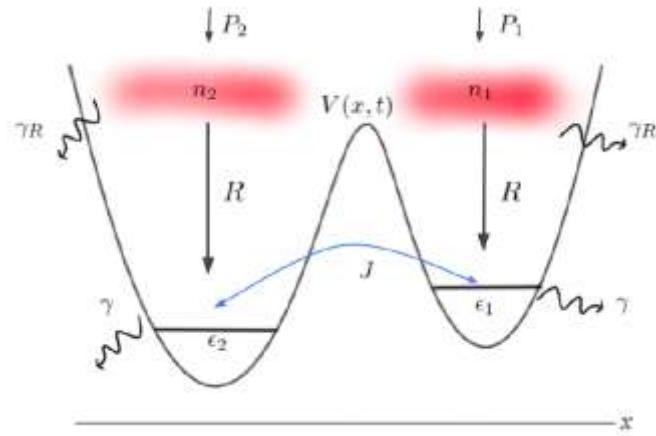


Laser power dependence
of detuning



Sum of 10s of experiments, different arrays, trap sizes and separations

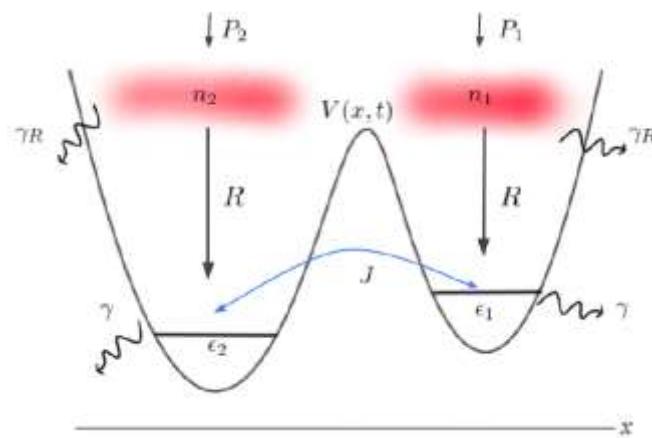
Asynchronous locking: the model



$$i\hbar\dot{\psi}_j = (\varepsilon_j + U_j|\psi_j|^2 + U_j^R n_j)\psi_j - J\psi_{3-j} + \frac{i\hbar}{2}(Rn_j - \gamma)\psi_j,$$

driving and losses

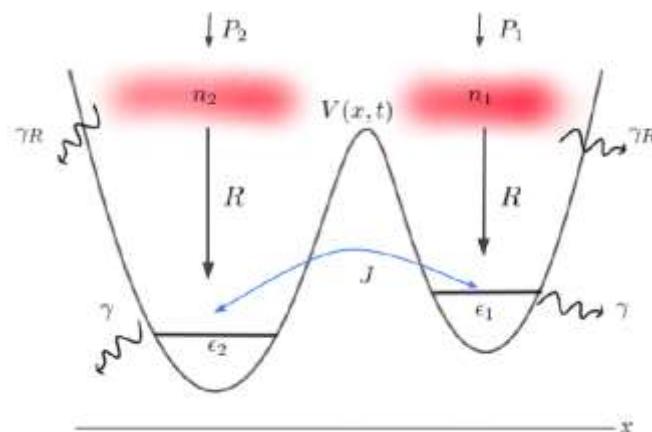
Asynchronous locking: the model



$$i\hbar\dot{\psi}_j = (\varepsilon_j + \underbrace{U_j|\psi_j|^2 + U_j^R n_j}_{\text{interactions}})\psi_j - J\psi_{3-j} + \underbrace{+ \frac{i\hbar}{2}(Rn_j - \gamma)}_{\text{driving and losses}}\psi_j,$$

reservoir dynamics: $\dot{n}_j = \underbrace{P_j - \gamma_R n_j - R|\psi_j|^2 n_j}_{\text{cw non-resonant pump}}.$

Asynchronous locking: the model



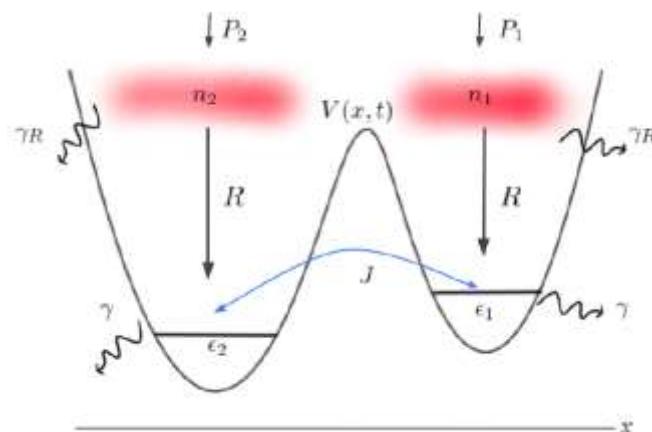
$$i\hbar\dot{\psi}_j = (\varepsilon_j + U_j|\psi_j|^2 + U_j^R n_j)\psi_j - J\psi_{3-j} + \frac{i\hbar}{2}(R n_j - \gamma)\psi_j,$$

driving and losses

$$\text{reservoir dynamics: } \dot{n}_j = P_j - \underbrace{\gamma_R n_j}_{\text{cw non-resonant pump}} - R|\psi_j|^2 n_j.$$

phonon dynamics: $\ddot{x} = -\Gamma \dot{x} - \omega_0^2 x + 4\omega_0 g_0 \rho_0 \text{Re}(\underbrace{\tilde{\psi}_+^* \tilde{\psi}_-}_{\text{polariton driving}})$

Asynchronous locking: the model



$$i\hbar\dot{\psi}_j = (\varepsilon_j + U_j|\psi_j|^2 + U_j^R n_j)\psi_j - J\psi_{3-j} + \frac{i\hbar}{2}(R n_j - \gamma)\psi_j,$$

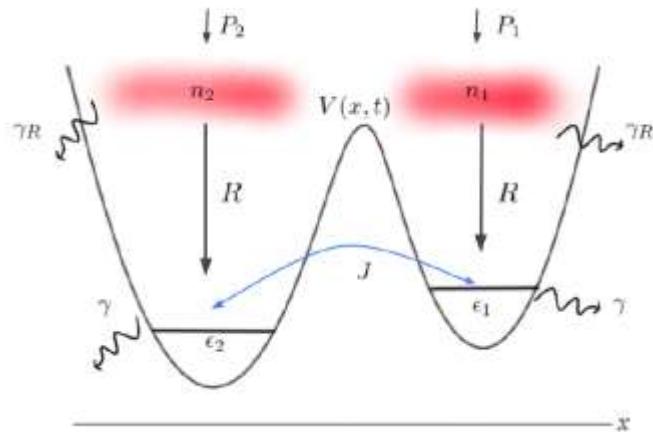
driving and losses

$$\text{reservoir dynamics: } \dot{n}_j = P_j - \underbrace{\gamma_R n_j}_{\text{cw non-resonant pump}} - R|\psi_j|^2 n_j.$$

$$\text{phonon dynamics: } \ddot{x} = -\Gamma \dot{x} - \omega_0^2 x + 4\omega_0 g_0 \rho_0 \text{Re}(\underbrace{\tilde{\psi}_+^* \tilde{\psi}_-}_{\text{polariton driving}})$$

Mechanically modulated inter-site coupling

First: “Frozen” phonon + RWA



$$J(t) = J_m(e^{i2\Omega_m t} + e^{-i2\Omega_m t} + 2)$$

$$\varepsilon_1 \sim \varepsilon_2 + 2\hbar\Omega_m \quad + \text{RWA}$$

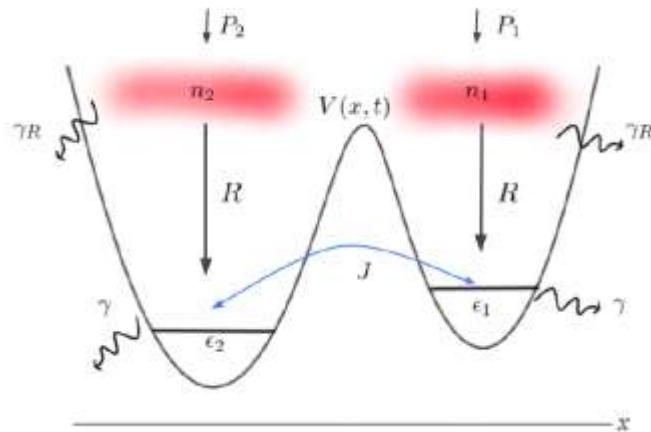
$$i\hbar\dot{\psi}_1 = \bar{\varepsilon}_1\psi_1 - J_m e^{-i2\Omega_m t}\psi_2 + \frac{i\hbar}{2}(Rn_1 - \gamma)\psi_1$$

$$i\hbar\dot{\psi}_2 = \bar{\varepsilon}_2\psi_2 - J_m e^{i2\Omega_m t}\psi_1 + \frac{i\hbar}{2}(Rn_2 - \gamma)\psi_2 ,$$

$$\bar{\varepsilon}_j = \varepsilon_j + U_j |\psi_j|^2 + U_j^R n_j$$

$$\dot{n}_j = P_j - \gamma_R n_j - R|\psi_j|^2 n_j$$

First: “Frozen” phonon + RWA



$$J(t) = J_m(e^{i2\Omega_m t} + e^{-i2\Omega_m t} + 2)$$

$$\varepsilon_1 \sim \varepsilon_2 + 2\hbar\Omega_m \quad + \text{RWA}$$

$$\begin{aligned} i\hbar\dot{\psi}_1 &= \bar{\varepsilon}_1\psi_1 - J_m e^{-i2\Omega_m t}\psi_2 + \frac{i\hbar}{2}(Rn_1 - \gamma)\psi_1 \\ i\hbar\dot{\psi}_2 &= \bar{\varepsilon}_2\psi_2 - J_m e^{i2\Omega_m t}\psi_1 + \frac{i\hbar}{2}(Rn_2 - \gamma)\psi_2, \\ \bar{\varepsilon}_j &= \varepsilon_j + U_j|\psi_j|^2 + U_j^R n_j \\ \dot{n}_j &= P_j - \gamma_R n_j - R|\psi_j|^2 n_j \end{aligned}$$

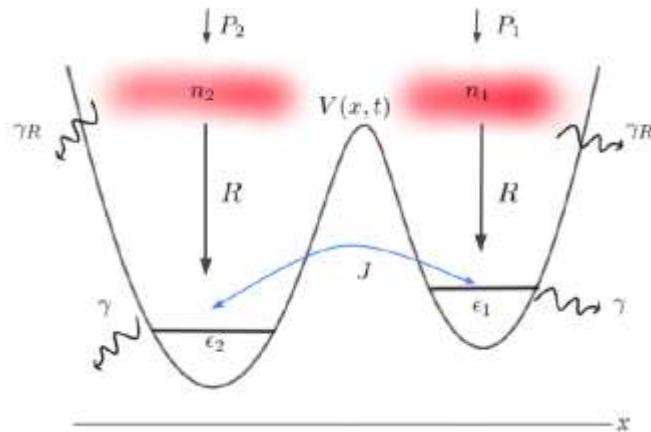
Same solutions as static case
are found proposing:

$$\begin{aligned} \psi_1 &= \sqrt{\rho_1}e^{-i\omega t}e^{i\theta/2} \text{ and} \\ \psi_2 &= \sqrt{\rho_2}e^{-i(\omega-2\Omega_m)t}e^{-i\theta/2} \end{aligned}$$

i.e., similar “synchronization condition” but displaced to:

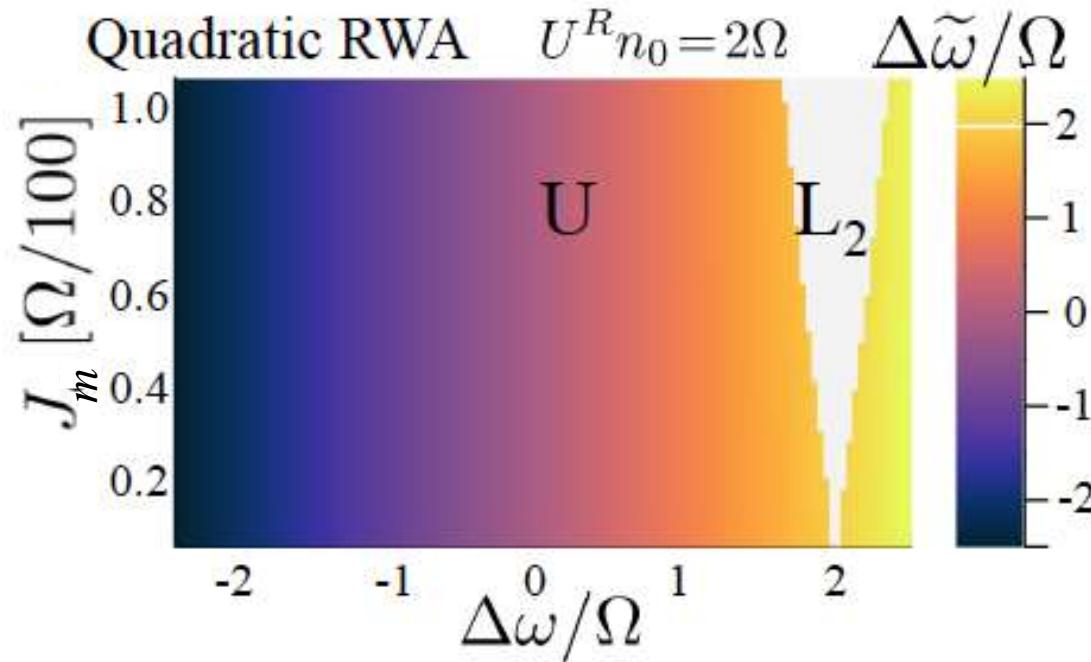
$$\varepsilon_2 \rightarrow \varepsilon_2 + 2\hbar\Omega_m$$

First: “Frozen” phonon + RWA



$$J(t) = J_m(e^{i2\Omega_m t} + e^{-i2\Omega_m t} + 2)$$

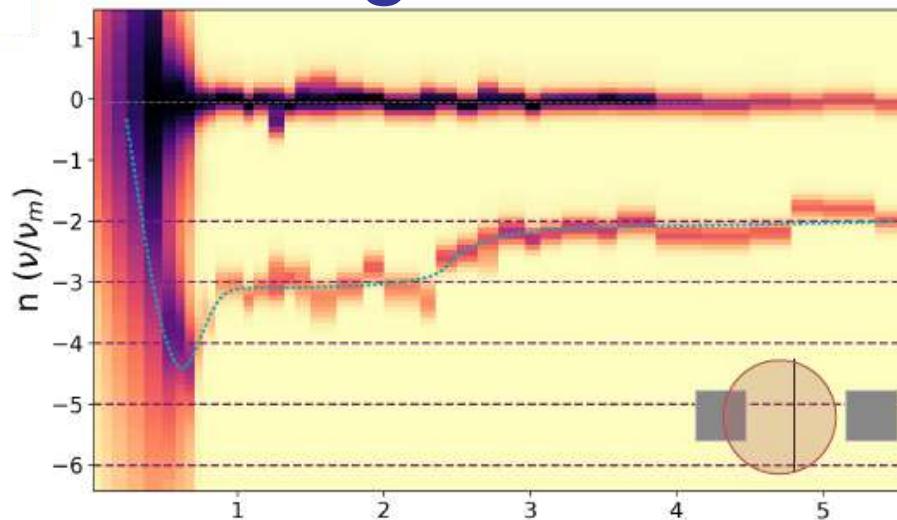
$$\varepsilon_1 \sim \varepsilon_2 + 2\hbar\Omega_m \quad + \text{RWA}$$



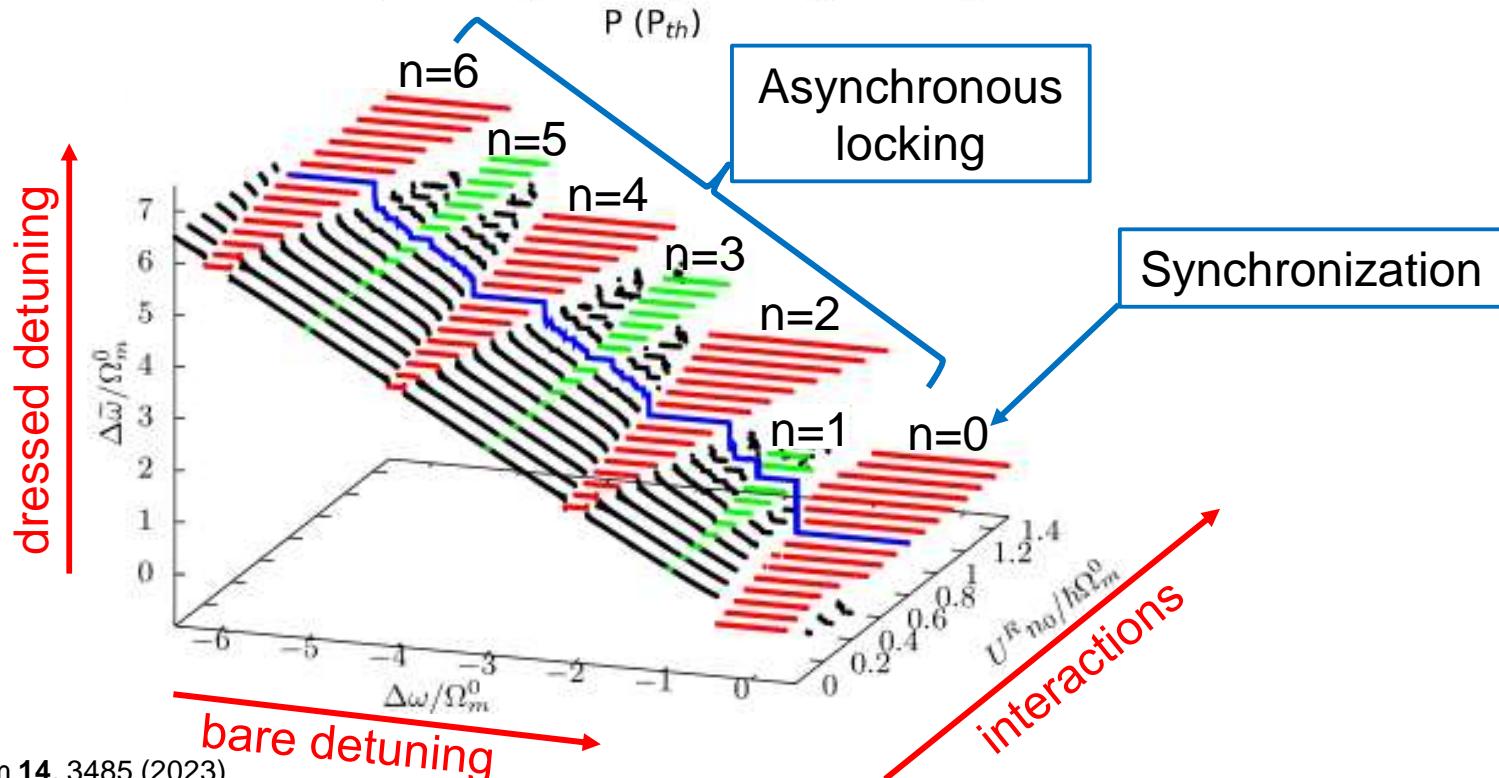
“Locking” regions behave as for synchronization, i.e., are enhanced by J and U

Asynchronous locking: the full model

EXPERIMENT

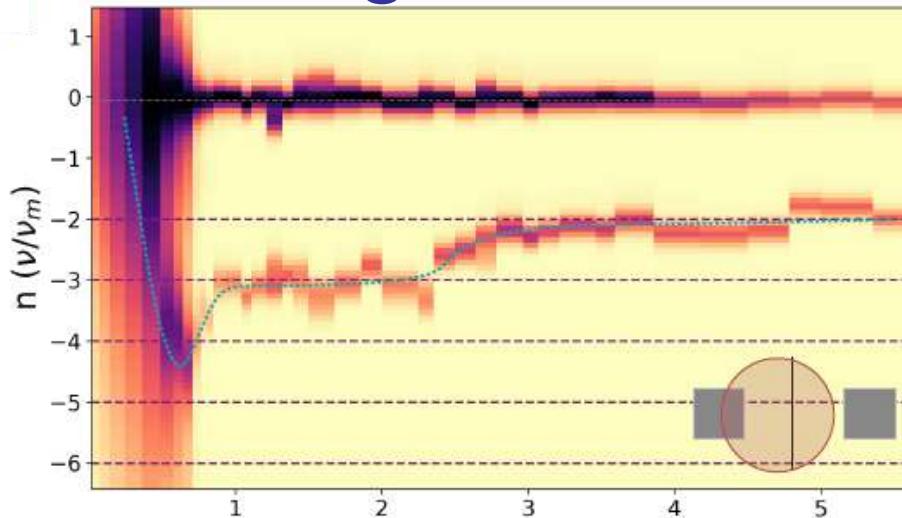


THEORY

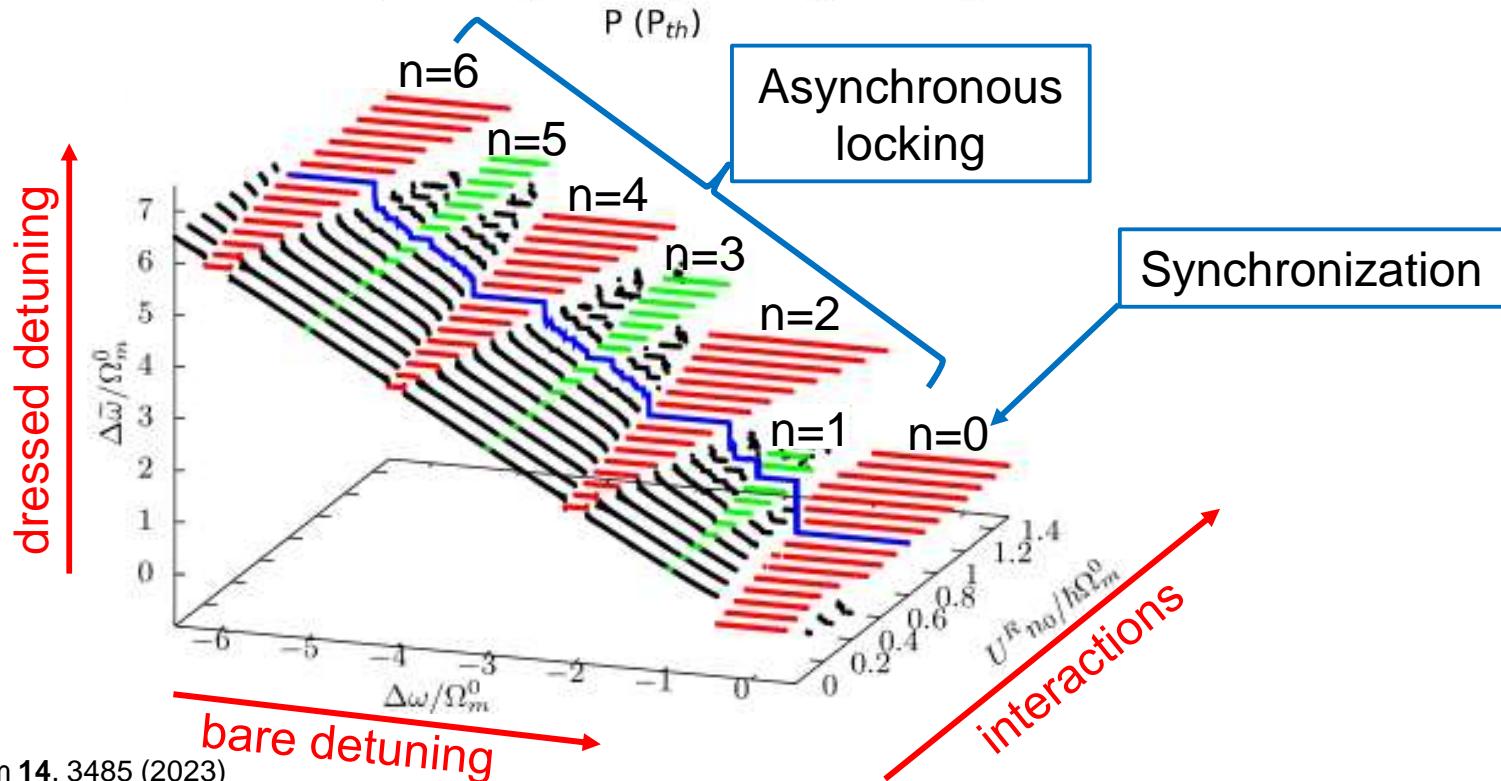


Asynchronous locking: the full model

EXPERIMENT



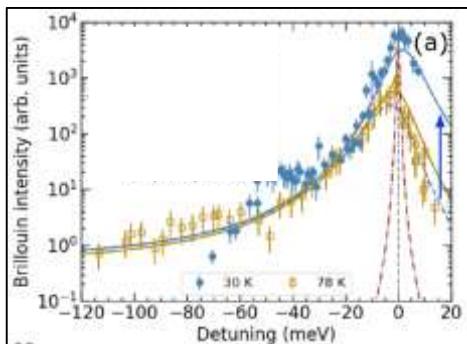
THEORY



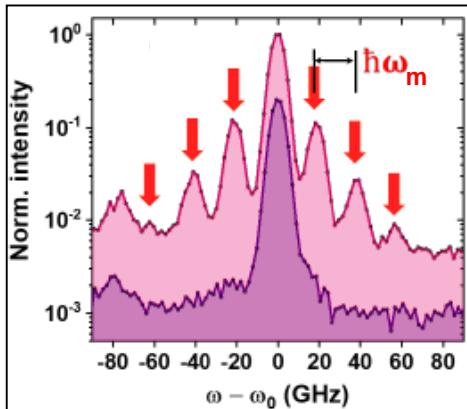
Day #3 wrap-up

- Synchronization. The relevance of coupling, non-linearities and dissipation.
- Synchronization of polariton condensates
- Asynchronous locking of mechanically modulated coupled polariton condensates.

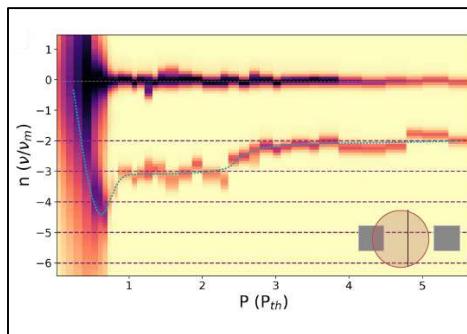
Index



- **Day #1: cavity polaritons, resonant exciton mediated optomechanical interaction**



- **Day #2: self-oscillation, the optomechanical parametric oscillator**



- **Day #3: synchronization, OM asynchronous locking of polariton states**



Bonus: Friday talk, time crystals

Outlook #1: Bidirectional MW-to-optical conversion

PRESS RELEASE

New quasi-particle bridges microwave and optical domains

nature communications



Article

<https://doi.org/10.1038/s41467-023-40894-7>

Microcavity phonoritons – a coherent optical-to-microwave interface

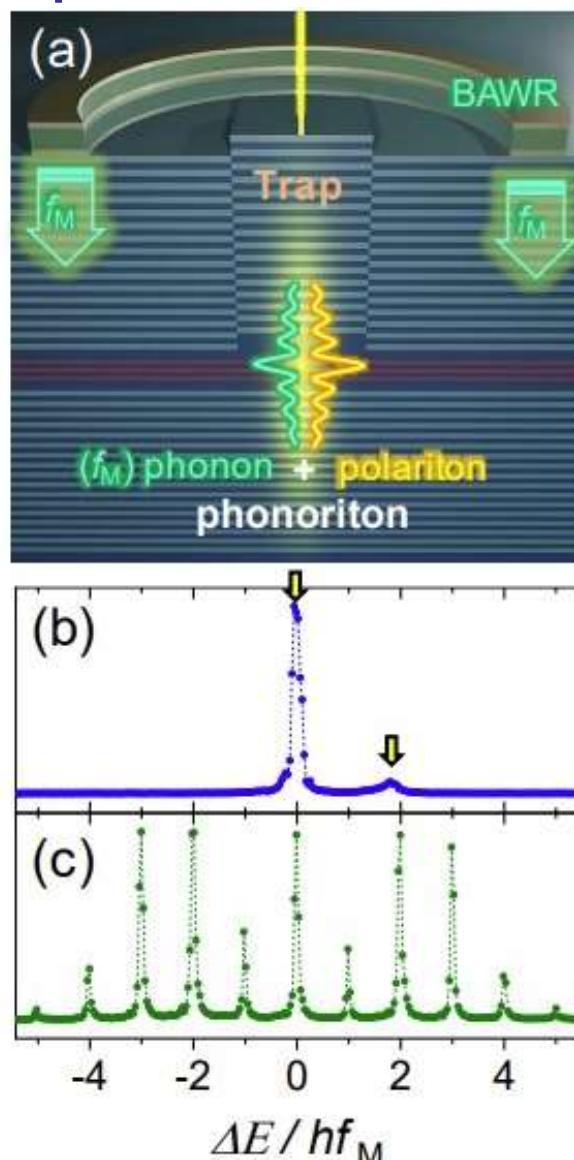
Received: 3 November 2022

Alexander Sergeevich Kuznetsov , Klaus Biermann¹,
Andres Alejandro Reynoso^{2,3,4}, Alejandro Fainstein ^{2,3} &
Paulo Ventura Santos ¹

Accepted: 14 August 2023

Published online: 18 September 2023

QUANTUM LIMIT?



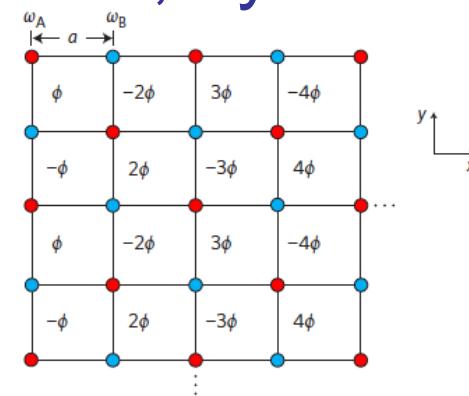
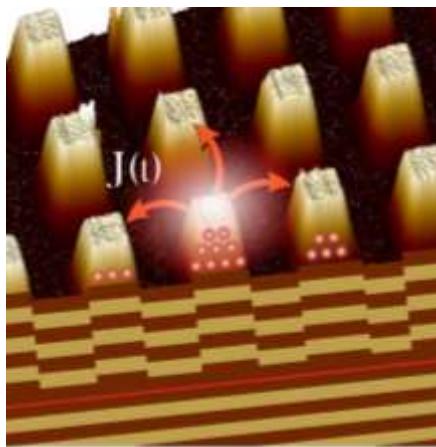
Photonics and Optoelectronics Lab
Instituto Balseiro, Bariloche, Argentina

Paul-Drude-Institut
für Festkörperelektronik

Outlook #2: Spatio-temporal modulation, synthetic B_{eff}

Realizing effective magnetic field for photons by controlling the phase of dynamic modulation

Kejie Fang¹, Zongfu Yu² and Shanhui Fan^{2*}



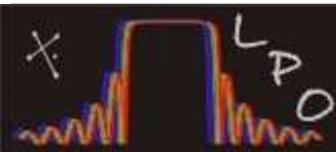
Two sites 1, 2: $i \frac{d}{dt} \begin{pmatrix} a_1 \\ a_2 \end{pmatrix} = \begin{pmatrix} \omega_1 & V \cos(\Omega t + \phi) \\ V \cos(\Omega t + \phi) & \omega_2 \end{pmatrix} \begin{pmatrix} a_1 \\ a_2 \end{pmatrix}$

$$\Omega = \omega_1 - \omega_2 \quad i \frac{d}{dt} \begin{pmatrix} \tilde{a}_1 \\ \tilde{a}_2 \end{pmatrix} = \begin{pmatrix} 0 & \frac{V}{2} e^{-i\phi} \\ \frac{V}{2} e^{i\phi} & 0 \end{pmatrix} \begin{pmatrix} \tilde{a}_1 \\ \tilde{a}_2 \end{pmatrix}$$

Tight binding
WITHOUT : $H = \sum_{r',r} C_{r',r}^0 b_{r'}^\dagger b_r$ + magnetic field $\textcolor{brown}{C}_{r',r} = e^{i(e/\hbar) \int_{r'}^r \vec{A} \cdot d\vec{l}} C_{r',r}^0 \equiv e^{i\phi} C_{r',r}^0$
magnetic field "Peierls transformation"

$$\int_1^2 A_{\text{eff}} \cdot d\vec{l} = \phi$$

$$B_{\text{eff}} = \frac{1}{a^2} \oint_{\text{plaquette}} A_{\text{eff}} d\mathbf{l} = \frac{\phi}{a^2}$$



Photonics and Optoelectronics Lab
Instituto Balseiro, Bariloche, Argentina

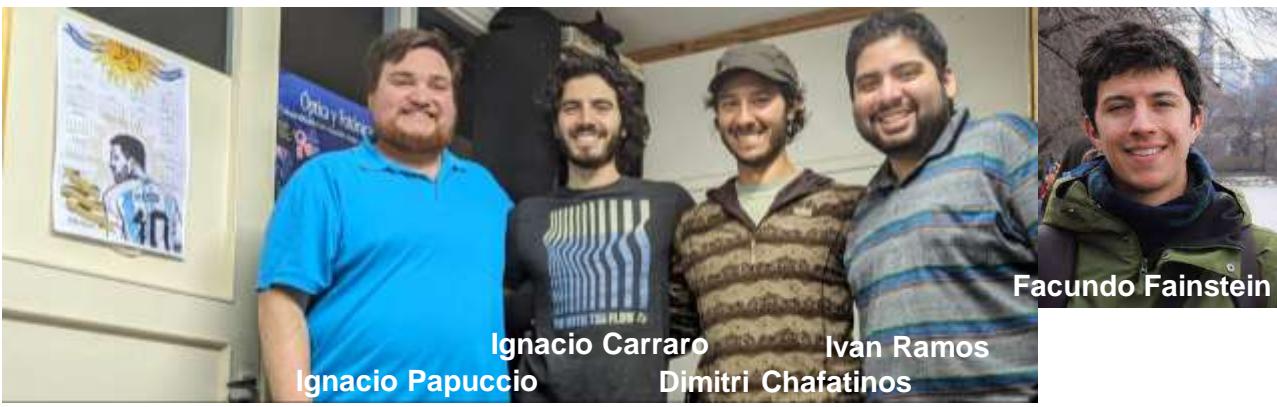
Polaromechanics: polaritonics meets optomechanics

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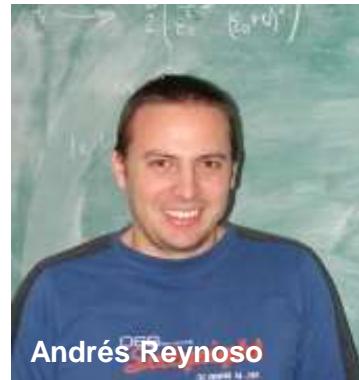
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Thank you!

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